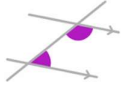
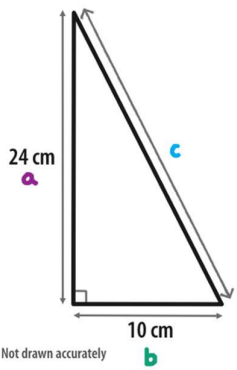
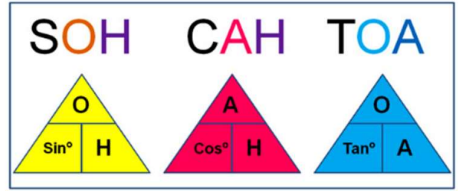
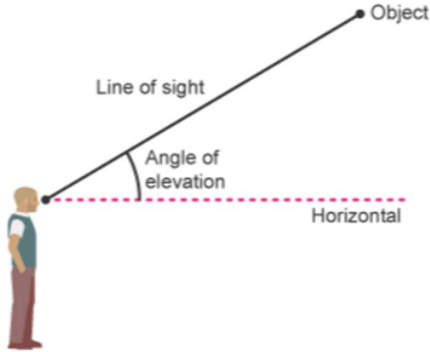
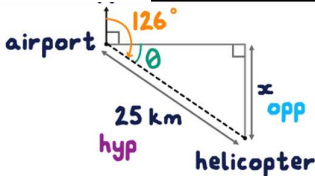
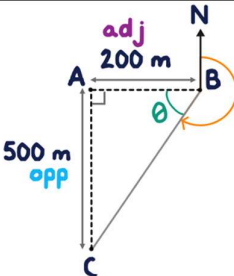
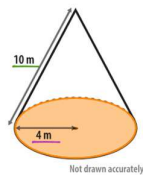
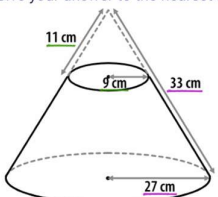
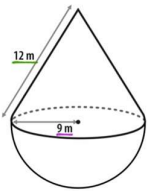
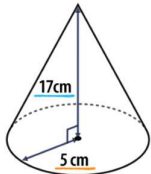
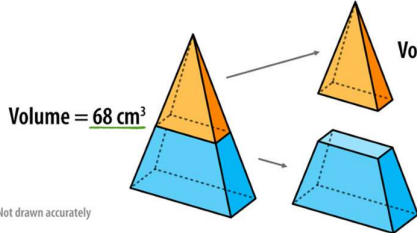
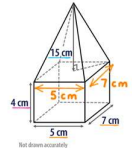
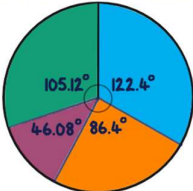


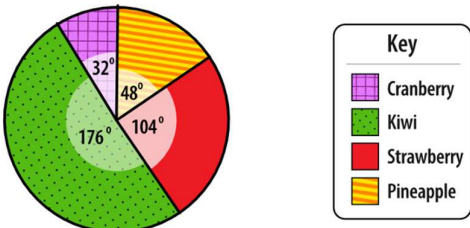
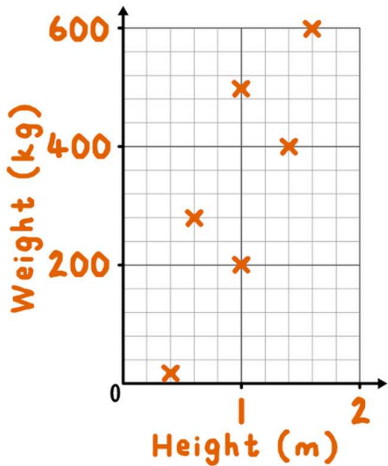
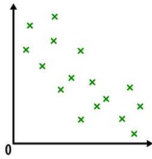
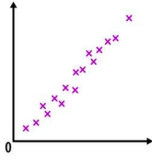
Unit	Topic/Skill	Definition/Tips	Example	Sparx Code
Angles	Combine angle facts	Learn the facts as full sentences to use in all answer reasoning.	angles in a triangle sum to 180°	U655
	Angles on parallel lines	Use the arrow notation to identify all parallel line. Extend or add extra lines to make other polygons.	co-interior angles sum to 180°  Not drawn accurately  alternate angles  corresponding angles	U826
	Using Quadrilateral properties		angles in a quadrilateral sum to 360°	U329
	Angles in Polygons			U427
Right-angle triangles	Apply Pythagoras' Theorem in 2D shapes	Identify the longest side (Hypotenuse) which is opposite the Right angle	 Not drawn accurately $a^2 + b^2 = c^2$ $24^2 + 10^2 = c^2$ $676 = c^2$ $\sqrt{676} = c$ $c = 26$	U385
	Apply Trigonometry to find missing angles		SOH – CAH – TOA Pyramids Cover the letter which is the unknown value, and then Multiply for horizontal relationships and Divide for vertical relationships	U545
	Apply Trigonometry to find missing sides			U283

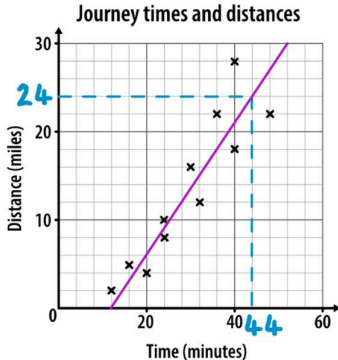
	Angles of elevations and depressions	Use the Parallel line angle rules to find corresponding and alternate angles.		U967
	Calculate bearings	Measure from North, clockwise and with 3 digits		U107
	Use trigonometry and bearings		$\theta = 126 - 90$ $= 36$ SOH CAH TOA $\sin \theta = \frac{\text{opp}}{\text{hyp}}$ $\sin (36^\circ) = \frac{x}{25}$ $25 \times \sin (36^\circ) = x$ $x = 14.6946\dots$ $x = 14.7 \text{ to 1 d.p.}$ 	U164
	Use exact values of Trigonometry	You can use the fingers on your hand to find them	 SOH CAH TOA $\tan \theta = \frac{\text{opp}}{\text{adj}}$ $\tan \theta = \frac{500}{200}$ $\theta = \tan^{-1} \left(\frac{500}{200} \right)$ $= 68.198\dots$ bearing of C from B $= 270 - 68.198\dots$ $= 201.801\dots$ $= 202 \text{ to nearest degree}$	U627

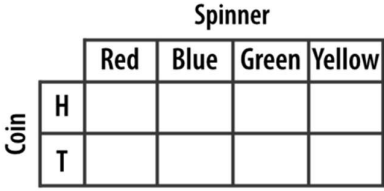
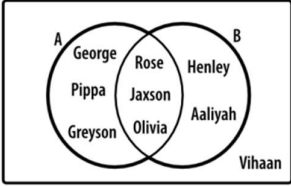
Unit	Topic/Skill	Definition/Tips	Example	Sparx Code
Surface Area	Finding the surface area of cones and spheres	The surface area of a cone is given by $\pi rl + \pi r^2$ The surface area of a sphere is given by $4\pi r^2$	Work out the surface area of this cone. Give your answer to 2 d.p. curved surface area of a cone = πrl area of a circle = πr^2 r = radius l = slant height  surface area =  +  $= \pi rl + \pi r^2$ $= \pi \times 4 \times 10 + \pi \times 4^2$ $= 40\pi + 16\pi$ $= 175.92918\dots$ $= 175.93 \text{ to 2 d.p.}$ Answer: <u>175.93 m²</u>	U771
	Finding the surface area of frustums	Generally consider the area of the whole pyramid/cone and subtract the surface area of the piece removed from the top	A frustum is made by removing a small cone from a similar, larger cone. Work out the curved surface area of the frustum. Give your answer to the nearest integer.  curved surface area of a cone = πrl r = radius l = slant height curved S.A. of frustum = curved S.A. of large cone - curved S.A. of small cone    $= \pi \times 27 \times 33 - \pi \times 9 \times 11$ $= 792\pi$ $= 2488.14138\dots$ $= 2488 \text{ to the nearest integer}$	U334
	Finding the surface area of composite shapes	Divide the shape and consider the surface area of each part	The shape below is made from a cone and a hemisphere. Work out the surface area of this shape. Give your answer to 1 d.p.  curved surface area of a cone = πrl surface area of a sphere = $4\pi r^2$ r = radius l = slant height surface area =  +  $= \pi rl + \frac{4\pi r^2}{2}$ $= \pi rl + 2\pi r^2$ $= \pi \times 9 \times 12 + 2\pi \times 9^2$ $= 108\pi + 162\pi$ $= 270\pi$ $= 848.23001\dots$ $= 848.2 \text{ to 1 d.p.}$	U561

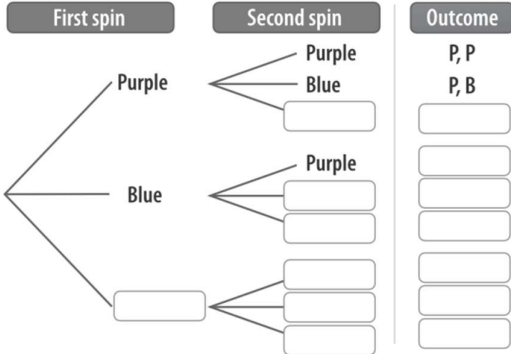
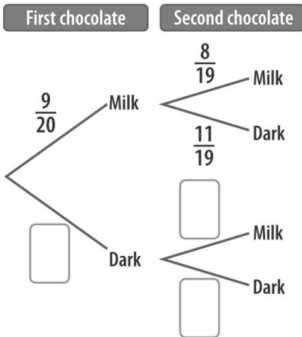
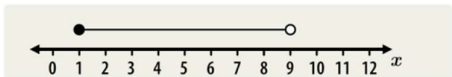
Volume	Finding the volume of cones and spheres	The volume of a cone is given by $\frac{1}{3}\pi r^2 h$ The volume of a sphere is given by $\frac{4}{3}\pi r^3$	Calculate the volume of the cone below. Give your answer to 2 d.p.  Not drawn accurately volume of cone = $\frac{1}{3}\pi r^2 h$ r = radius h = perpendicular height volume of cone = $\frac{1}{3}\pi r^2 h$ $= \frac{1}{3} \times \pi \times 5^2 \times 17$ $= 445.05895\dots$ $= 445.06 \text{ to 2 d.p.}$	U426
	Finding the volume of frustums	Find the volume of the whole pyramid/cone and subtract the volume of the pyramid/cone removed from the top	A large pyramid is split horizontally to form a similar, smaller pyramid and a frustum, as shown. What is the volume of the frustum?  Not drawn accurately volume of frustum = volume of large pyramid - volume of small pyramid $= 68 - 26$ $= 42$	U350
	Find the volume of composite shapes	Divide the shape and consider the volume of each part	The shape below is made from a rectangular-based pyramid and a cuboid. Calculate the volume of the shape.  Not drawn accurately volume of pyramid $= \frac{1}{3} \times \text{base area} \times \text{height}$ $= \frac{1}{3} \times 7 \times 5 \times 15$ $= 175$ volume of cuboid $= \text{length} \times \text{width} \times \text{height}$ $= 7 \times 5 \times 4$ $= 140$ volume of shape = volume of pyramid + volume of cuboid $= 175 + 140$ $= 315$	U543

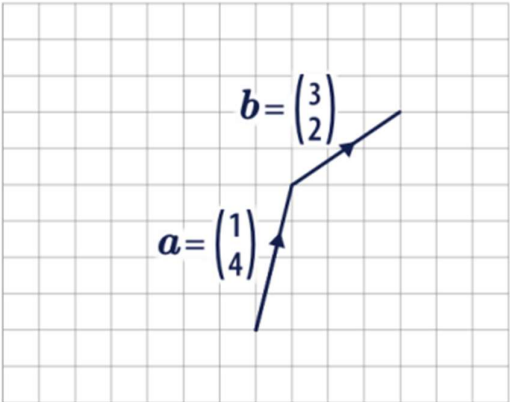
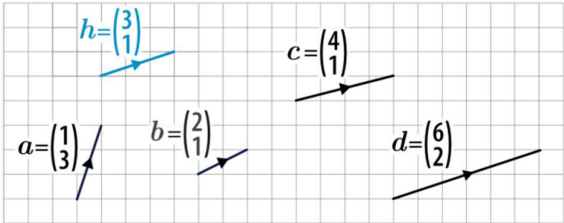
Unit	Topic/Skill	Definition/Tips	Example	Sparx Code																						
Statistical diagrams	Drawing pie charts	The angles in a pie chart are proportional to the frequency	The table shows information about some people's favourite film genres. Use the table to draw a pie chart. <table><thead><tr><th>Genre</th><th>Frequency</th></tr></thead><tbody><tr><td>Romance</td><td>85</td></tr><tr><td>Comedy</td><td>60</td></tr><tr><td>Crime</td><td>32</td></tr><tr><td>Action</td><td>73</td></tr><tr><td>Total</td><td>250</td></tr></tbody></table> Central Angle $\frac{85}{250} \times 360 = 122.4^{\circ}$ $\frac{60}{250} \times 360 = 86.4^{\circ}$ $\frac{32}{250} \times 360 = 46.08^{\circ}$ $\frac{73}{250} \times 360 = 105.12^{\circ}$  <table><thead><tr><th colspan="2">Key</th></tr></thead><tbody><tr><td>Romance</td><td></td></tr><tr><td>Comedy</td><td></td></tr><tr><td>Crime</td><td></td></tr><tr><td>Action</td><td></td></tr></tbody></table>	Genre	Frequency	Romance	85	Comedy	60	Crime	32	Action	73	Total	250	Key		Romance		Comedy		Crime		Action		U508
Genre	Frequency																									
Romance	85																									
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Total	250																									
Key																										
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	Interpreting pie charts	Pie charts are beneficial for visualising proportions	45 children answered a question about their favourite fruit drink. How many children said their favourite fruit drink was pineapple? Favourite fruit drink  $\div 45$ $\left\{ \begin{array}{l} 360^\circ \text{ represents 45 children} \\ 8^\circ \text{ represents 1 child} \end{array} \right. \div 45$ $\times 6$ $\left\{ \begin{array}{l} 48^\circ \text{ represents 6 children} \end{array} \right. \times 6$	U172														
	Plotting scatter graphs	Scatter graphs can be used to identify relationships and correlation between two sets of data	The heights and weights of 6 farm animals are shown in the table. <table border="1"><tr><td>Height (m)</td><td>0.4</td><td>0.6</td><td>1</td><td>1</td><td>1.4</td><td>1.6</td></tr><tr><td>Weight (kg)</td><td>20</td><td>280</td><td>200</td><td>500</td><td>400</td><td>600</td></tr></table> Plot this data on a scatter graph. Heights and weights of farm animals 	Height (m)	0.4	0.6	1	1	1.4	1.6	Weight (kg)	20	280	200	500	400	600	U199
Height (m)	0.4	0.6	1	1	1.4	1.6												
Weight (kg)	20	280	200	500	400	600												
	Interpreting scatter graphs		Write down the type of correlation shown in each of the scatter graphs. a)  Answer: <u>Weak negative correlation</u> b)  Answer: <u>Strong positive correlation</u>	U277														

	Using lines of best fit	Lines of best fit can be used to estimate values based on the relationship between sets of data	The scatter graph shows the time taken and distance travelled for 11 journeys.  a) Draw a line of best fit on the scatter graph above. b) Estimate the time it would take for a 24 mile journey. Answer: 44 minutes	U128
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Unit	Topic/Skill	Definition/Tips	Example	Sparx Code
Probability	Probabilities of mutually exclusive events	Events that cannot occur at the same time.	Which of the pairs of events below are mutually exclusive? A: Winning and losing the same football match. B: Wearing a jacket and wearing glasses. C: Getting an odd number and an even number in one roll of a fair six-sided dice. D: Getting an odd number and a number less than 5 in one roll of a fair six-sided dice.	U683
	Sample space diagrams	Table that holds all possible outcomes	Anya has a fair coin and a fair four-sided colour spinner. She flips the coin and spins the spinner. a) Complete the sample space diagram to show all the possible outcomes. 	U104
	Expected results from repeated experiments	Using probability facts to inform predictions	The probability that a school lunch will include pasta is $\frac{5}{7}$. How many school lunches would you expect to include pasta if you had 21 school lunches?	U166
	Venn diagrams with set notation	Interpreting and drawing Venn	The venn diagram shows information about the students in a class. $A = \{\text{students who own a bicycle}\}$ $B = \{\text{students who own a pet}\}$  a) Describe the students in $A \cap B$	U748

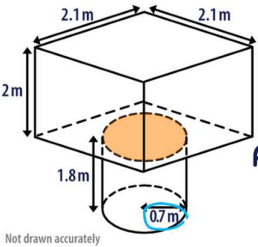
	Using set notation	Using set notation to process data.	The sets A and B are defined below. $A = \{1, 2, 5, 9, 10, 13, 19\}$ $B = \{2, 3, 4, 5, 7, 13, 14\}$ List the members of $A \cap B$	U296												
	Tree diagrams for independent events	Using Tree Diagram to allocate probability for each outcome	A coloured spinner with purple, blue and yellow sections is spun twice. Complete the tree diagram below to show all the possible outcomes. How many possible outcomes are there? First spin Second spin Outcome 	U558												
	Tree diagrams for dependent events	Allocated probability to the diagram to calculate likelihood.	A box of chocolates contains 9 milk chocolates and 11 dark chocolates. A chocolate is selected at random, eaten, and then another chocolate is selected at random. Complete the tree diagram to show the correct probabilities. First chocolate Second chocolate 	U729												
	Calculating experimental probabilities	Using stated probability to predict outcome	Amelia spun a spinner with five coloured sections several times. The table below shows how many times the spinner landed on each colour. <table><tr><th>Colour</th><th>Green</th><th>Red</th><th>Yellow</th><th>Black</th><th>Pink</th></tr><tr><th>Frequency</th><td>8</td><td>10</td><td>12</td><td>3</td><td>7</td></tr></table>	Colour	Green	Red	Yellow	Black	Pink	Frequency	8	10	12	3	7	U580
Colour	Green	Red	Yellow	Black	Pink											
Frequency	8	10	12	3	7											
Inequalities	Solving inequalities with the unknown on both sides	Comparison of two values or expressions, showing that they are not strictly equal	Solve $5h \geq 36 - 4h$	U738												
	Solving double inequalities	Using number-line to show inequality	Write down the inequality shown on each of the number lines below. a) 	U145												
	Constructing and solving inequalities	To use algebraic skills to solve	a) When a number, x, is added to 26, the total is greater than 64. Write this as an inequality and solve for x.	U337												

Vectors	Adding and subtracting column vectors	To add /sub column vectors	Calculate $\mathbf{a} + \mathbf{b}$ Give your answer as a column vector. 	U903
	Multiplying column vectors by a scalar	To use algebraic knowledge to multiply vectors	$\mathbf{a} = \begin{pmatrix} 9 \\ 2 \end{pmatrix}$ Write $3\mathbf{a}$ as a column vector.	U564
	Identifying parallel vectors	Focus on positive / negative direction	Which vector below is parallel to $\mathbf{h}$? 	U660

Unit	Topic/Skill	Definition/Tips	Example	Sparx Code
Percentages	Percentage change with a calculator	Definition: A percentage increase or decrease can be found using a multiplier. Tip: Increase by p% → multiply by $1 + \frac{p}{100}$. Decrease by p% → multiply by $1 - \frac{p}{100}$. Example: 146% = 1.46.	Increase 21 by 46% $100\% + 46\% = 146\%$ $146 \div 100 = 1.46$ $146\% \text{ of } 21 = 1.46 \times 21 = 30.66$	U671
Percentages	Finding original values in percentage calculations	Definition: To find the original value, divide the given amount by the percentage multiplier. Tip: If you know p% of the original, turn p% into a decimal first. Example: if 9% = 684, then original = $684 \div 0.09$.	9% of a value is 684 Work out the original value. $9 \div 100 = 0.09$ $9\% \text{ of original} = 684$ $\div 0.09 \quad \left \quad 0.09 \times \text{original} = 684 \quad \right \div 0.09$ $\text{original} = 7600$	U286
Percentages	Finding the percentage an amount has been changed by	Definition: Percentage change = $(\text{difference} \div \text{original value}) \times 100$. Tip: Always use the original value in the denominator, then say whether the change is an increase or a decrease.	percentage change = $\frac{\text{difference}}{\text{original value}} \times 100$ $= \frac{96 - 80}{80} \times 100$ $= \frac{16}{80} \times 100$ $= 0.2 \times 100$ $= 20\%$	U278

Percentages	Compound interest calculations	Definition: Compound interest means interest is added each time period, so you earn interest on the new total. Tip: Use $\text{amount} = \text{principal} \times (\text{multiplier})^n$, where n is the number of periods; or keep multiplying by the same multiplier each year.	A bank account starts with a balance of £10 000 and pays compound interest at a rate of 4% per year. Work out the balance of the account a) after 1 year. $100\% + 4\% = 104\%$ $104 \div 100 = 1.04$ $\begin{aligned} \text{balance after 1 year} &= 104\% \text{ of } 10000 \\ &= 1.04 \times 10000 \\ &= 10400 \end{aligned}$ Answer: £ 10 400 b) after 2 years. $\begin{aligned} \text{balance after 2 years} &= 104\% \text{ of } 10400 \\ &= 1.04 \times 10400 \\ &= 10816 \end{aligned}$ Answer: £ 10 816	U332
Percentages	Growth and decay	Definition: Growth and decay are repeated percentage changes. Growth has a multiplier greater than 1; decay has a multiplier between 0 and 1. Tip: In a formula such as $\text{value} = 400 \times 1.21^n$, the original value is when $n = 0$.	The value of a painting n years after it was painted is given by this formula: value in pounds (£) $= 400 \times 1.21^n$ a) What was the original value of the painting? $\begin{aligned} \text{when } n = 0 \quad \text{value} &= 400 \times 1.21^0 \\ &= 400 \end{aligned}$ Answer: £ 400 b) By what percentage does the value of the painting increase each year? $\begin{aligned} 1.21 &= 121\% \\ &= 100\% + 21\% \end{aligned}$ Answer: 21 % c) How much will the painting be worth 11 years after it was painted? Give your answer to the nearest pound. $\begin{aligned} \text{when } n = 11 \quad \text{value} &= 400 \times 1.21^{11} \\ &= 3256.109... \\ &= \text{£}3256 \text{ to nearest £1} \end{aligned}$ Answer: £ 3256	U988

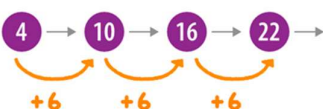
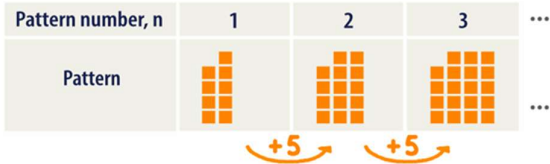
Compound measure	Calculating with rates	Definition: A rate compares one quantity with another, for example per hour, per minute or per item. Tip: rate = amount ÷ time, amount = rate × time, time = amount ÷ rate.	Janet laid 120 bricks in 3 hours. Calculate the rate at which Janet laid bricks. Give your answer in bricks per hour. $\text{rate (bricks/h)} = \frac{\text{amount (bricks)}}{\text{time (h)}}$ $= \frac{120}{3}$ $= 40$ Louis is paid £12 per hour. How much will he be paid for working 1 hours and 30 minutes? 1 hour 30 minutes = 1.5 hours $\text{rate} = \frac{\text{money paid}}{\text{time}}$ $\text{money paid (£)} = \text{rate (£/h)} \times \text{time (h)}$ $= 12 \times 1.5$ $= 18$	U256
Compound measure	Calculating with density	Definition: Density = mass ÷ volume. Tip: Check the units (for example g/cm³ or kg/m³). Rearrange carefully: mass = density × volume and volume = mass ÷ density.	A glass statue has a volume of 42 cm³ and a mass of 105 g. Work out the density of the statue. $\text{density (g/cm}^3\text{)} = \frac{\text{mass (g)}}{\text{volume (cm}^3\text{)}}$ $= \frac{105}{42}$ $= 2.5$ The density of some copper is 8.96 g/cm³. What is the mass of 70 cm³ of this copper? $\text{density} = \frac{\text{mass}}{\text{volume}}$ $\text{mass (g)} = \text{density (g/cm}^3\text{)} \times \text{volume (cm}^3\text{)}$ $= 8.96 \times 70$ $= 627.2$ A cuboid has a length of 4 cm and a width of 5 cm. Given that its density is 40 g/cm³ and its mass is 2400 g, calculate the height of the cuboid. $\text{density} = \frac{\text{mass}}{\text{volume}}$ $\text{volume (cm}^3\text{)} = \frac{\text{mass (g)}}{\text{density (g/cm}^3\text{)}}$ $= \frac{2400}{40}$ $= 60$ volume of cuboid = length × width × height $60 = 4 \times 5 \times \text{height}$ $\div 20 \mid 60 = 20 \times \text{height} \mid \div 20$ $3 = \text{height}$ Answer: _____ 3 _____ cm	U910

Compound measure	Calculating with pressure	Definition: Pressure = force ÷ area. Tip: Make sure area is in square units, usually m². Rearrangements: force = pressure × area and area = force ÷ pressure.	A block has an area of 0.6 m² and a force of 240 N applied to it. Calculate the pressure on the block. $\text{pressure (N/m}^2\text{)} = \frac{\text{force (N)}}{\text{area (m}^2\text{)}}$ $= \frac{240}{0.6}$ $= 400$ The pressure that a robot arm exerts on a sheet of metal is 2000 N/m². The force that the robot arm exerts on the sheet is 550 N. Work out the area of the robot arm that is in contact with the sheet. $\text{pressure} = \frac{\text{force}}{\text{area}}$ $\text{area (m}^2\text{)} = \frac{\text{force (N)}}{\text{pressure (N/m}^2\text{)}}$ $= \frac{550}{2000}$ $= 0.275$ A cuboid shaped block sits on top of a cylindrical post as shown. The pressure exerted on the post by the block is 340 N/m². Work out the force on the post due to the block. Give your answer to 3 s.f.  Not drawn accurately $\text{pressure} = \frac{\text{force}}{\text{area}}$ $\text{area} = \pi \times 0.7^2$ $= 0.49\pi$ $\text{force} = \text{pressure} \times \text{area}$ $\text{(N)} \quad \text{(N/m}^2\text{)} \quad \text{(m}^2\text{)}$ $= 340 \times 0.49\pi$ $= 523.389\dots$ $= 523 \text{ to 3 s.f.}$	U527
	Combining ratios	Definition: To combine ratios, make the shared part the same in both ratios before joining them together. Tip: Scale one or both ratios until the common term matches, then read off the combined ratio and simplify if needed.	The ratio $x : y$ is 6 : 11 The ratio $y : z$ is 11 : 7 What is the ratio $x : y : z$ in its simplest form? $\begin{array}{ccc ccc} x & : & y & & y & : & z \\ 6 & : & 11 & & 11 & : & 7 \end{array}$ $\begin{array}{ccccc} x & : & y & : & z \\ 6 & : & 11 & : & 7 \end{array}$	U921

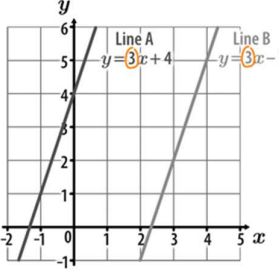
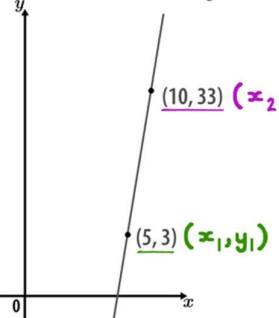
	Calculating with ratios and algebra	Definition: In algebraic ratios, each part can include a variable such as b. Tip: Add all parts to find the total, then write the required fraction as desired part ÷ total parts. Factorise if it helps simplify.	A stationary shop sells bundles containing pens, pencils and highlighters. The ratio of pens to pencils to highlighters in a bundle is $5b : 2 : b$. What fraction of the stationery items in the bundle are pencils? $ \begin{array}{l} \text{pens : pencils : highlighters} \\ 5b : 2 : b \\ \hline \text{parts corresponding to pencils} \\ \text{total parts} = \frac{2}{5b + 2 + b} \\ = \frac{2}{6b + 2} \\ = \frac{2}{2(3b + 1)} \\ = \frac{1}{3b + 1} \end{array} $	U676
	Changing ratios	Definition: If a ratio changes, first work out the actual amounts, then adjust the changed part and simplify the new ratio. Tip: Find one part by dividing the total by the sum of the ratio parts.	White and red paint is mixed in a 7 : 2 ratio to make 54 litres of pink paint. A further 6 litres of white paint is added to the mixture. What is the new ratio of white to red paint in its simplest form? $ \begin{array}{l} \text{White : Red} \quad \text{total} \\ 7 : 2 \quad 9 \\ \times 6 \left(\begin{array}{l} 7 : 2 \\ 42 : 12 \end{array} \right) \times 6 \quad \left(\begin{array}{l} 9 \\ 54 \end{array} \right) \times 6 \\ \text{New amount of white} = 42 + 6 \\ = 48 \\ \text{New white : Red} \\ \div 12 \left(\begin{array}{l} 48 : 12 \\ 4 : 1 \end{array} \right) \div 12 \end{array} $	U865
	Solving direct proportion word problems	Definition: In direct proportion, both quantities change by the same scale factor. Tip: If one value is multiplied or divided, do exactly the same to the other value. The unitary method also works well.	A recipe for 30 biscuits needs 150 g of sugar. How many biscuits can 50 g of sugar make? $ \div 3 \left(\begin{array}{l} 30 \text{ biscuits need } 150\text{g} \\ 10 \text{ biscuits need } 50\text{g} \end{array} \right) \div 3 $	U721

	Solving inverse proportion word problems	Definition: In inverse proportion, as one quantity increases, the other decreases so that the product stays constant. Tip: If one quantity is multiplied by k, the other is divided by k.	It takes 1 printer 12 minutes to print a batch of leaflets. How long would it take 3 identical printers to print the same number of leaflets? 1 printer takes 12 minutes $\times 3$ 3 printers take 4 minutes $\div 3$	U357
	Currency conversion	Definition: An exchange rate tells you how much one unit of one currency is worth in another currency. Tip: If £1 = €1.16, then pounds to euros multiply by 1.16, and euros to pounds divide by 1.16. Give money to 2 decimal places.	Use the exchange rate £1 = €1.16 to work out a) how much £40 is worth in euros. $40 \times 1.16 = 46.4$ So £40 = €46.40 Answer: € <u>46.40</u> b) how much €75.40 is worth in pounds. $75.40 \div 1.16 = 65$ So €75.40 = £65 Answer: £ <u>65</u>	U610

Unit	Topic/Skill	Definition/Tips	Example	Sparx Code
Standard Form	Multiplying and dividing numbers in standard form	Multiplication is commutative so we can rearrange calculations in standard form to simplify.	Work out $(6 \times 10^7) \times (4 \times 10^9)$ Give your answer in standard form. $= 6 \times 10^7 \times 4 \times 10^9$ $= 6 \times 4 \times 10^7 \times 10^9$ $= 24 \times 10^{7+9}$ $= 24 \times 10^{16}$ $= 2.4 \times 10^1 \times 10^{16}$ $= 2.4 \times 10^{1+16}$ $= 2.4 \times 10^{17}$	U264

	Adding and subtracting numbers in standard form	Factorising by the highest common power of 10 can allow us to add and subtract standard form with ease.	Work out $4.3 \times 10^4 + 2 \times 10^3$ Give your answer in standard form. $\begin{aligned} &= 4.3 \times 10^4 + 2 \times 10^3 \\ &= 4.3 \times 10^4 + 0.2 \times 10^1 \times 10^3 \\ &= 4.3 \times 10^4 + 0.2 \times 10^{1+3} \\ &= 4.3 \times 10^4 + 0.2 \times 10^4 \\ &= (4.3 + 0.2) \times 10^4 \\ &= 4.5 \times 10^4 \end{aligned}$	U290																				
	Standard form with a calculator	Using the “ $\times 10$ ” key on your calculator allows you to input calculations in standard form.	Work out $(8.55 \times 10^{-3}) \div (2.9 \times 10^2)$ Give your answer in standard form to 3 significant figures. $\begin{aligned} &(8.55 \times 10^{-3}) \div (2.9 \times 10^2) \\ &= 2.94827... \times 10^{-5} \\ &= 2.95 \times 10^{-5} \text{ to 3 s.f.} \end{aligned}$	U161																				
Sequences	Position-to-term rules for arithmetic sequences	Position to term rules can be defined by an “nth term” which identifies a position or term value at any point in the sequence.	The start of an arithmetic sequence is shown below. Work out the n^{th} term rule for this sequence.  <table><thead><tr><th>n</th><th>1</th><th>2</th><th>3</th><th>4</th></tr></thead><tbody><tr><td>sequence</td><td>4</td><td>10</td><td>16</td><td>22</td></tr><tr><td>$6n$</td><td>6</td><td>12</td><td>18</td><td>24</td></tr><tr><td>sequence - $6n$</td><td>-2</td><td>-2</td><td>-2</td><td>-2</td></tr></tbody></table> Rule: $6n - 2$	n	1	2	3	4	sequence	4	10	16	22	$6n$	6	12	18	24	sequence - $6n$	-2	-2	-2	-2	U498
n	1	2	3	4																				
sequence	4	10	16	22																				
$6n$	6	12	18	24																				
sequence - $6n$	-2	-2	-2	-2																				
	Position-to-term rules for sequences of patterns	Pattern sequences can be interpreted by rewriting the sequence numerically and generating the nth term.	The start of a sequence of patterns using tiles is shown below. The same number of tiles are added each time. What is the rule for the number of tiles in the n^{th} pattern?  <table><thead><tr><th>n</th><th>1</th><th>2</th><th>3</th></tr></thead><tbody><tr><td>Number of tiles</td><td>9</td><td>14</td><td>19</td></tr><tr><td>$5n$</td><td>5</td><td>10</td><td>15</td></tr><tr><td>Number of tiles - $5n$</td><td>4</td><td>4</td><td>4</td></tr></tbody></table> Rule: $5n + 4$	n	1	2	3	Number of tiles	9	14	19	$5n$	5	10	15	Number of tiles - $5n$	4	4	4	U978				
n	1	2	3																					
Number of tiles	9	14	19																					
$5n$	5	10	15																					
Number of tiles - $5n$	4	4	4																					

	Position-to-term rules for geometric sequences	Geometric sequences are unlike arithmetic sequences in that they are multiplied, rather than added, by a common ratio each time.	The n^{th} term rule for a geometric sequence is $4 \times 3^{(n-1)}$ Work out the first three terms of the sequence. <table><tr><td>Position, n</td><td>1</td><td>2</td><td>3</td><td>...</td></tr><tr><td>Term, $4 \times 3^{(n-1)}$</td><td>4</td><td>12</td><td>36</td><td>...</td></tr></table> $\begin{aligned} n &= 1 \\ 4 \times 3^{(n-1)} &= 4 \times 3^{(1-1)} \\ &= 4 \times 3^0 \\ &= 4 \times 1 \\ &= 4 \end{aligned}$$\begin{aligned} n &= 2 \\ 4 \times 3^{(n-1)} &= 4 \times 3^{(2-1)} \\ &= 4 \times 3^1 \\ &= 4 \times 3 \\ &= 12 \end{aligned}$$\begin{aligned} n &= 3 \\ 4 \times 3^{(n-1)} &= 4 \times 3^{(3-1)} \\ &= 4 \times 3^2 \\ &= 4 \times 9 \\ &= 36 \end{aligned}$	Position, n	1	2	3	...	Term, $4 \times 3^{(n-1)}$	4	12	36	...	U958		
Position, n	1	2	3	...												
Term, $4 \times 3^{(n-1)}$	4	12	36	...												
	Special sequences	A Fibonacci-type sequences are produced by adding the two previous terms to find the next term.	Calculate the next two terms in each of these Fibonacci-type sequences. a) 1, 7, 8, 15, ... <table><tr><td>1</td><td>7,</td><td>8,</td><td>15,</td><td>23,</td><td>38, ...</td></tr><tr><td></td><td></td><td>1+7</td><td>7+8</td><td>8+15</td><td>15+23</td></tr></table>	1	7,	8,	15,	23,	38, ...			1+7	7+8	8+15	15+23	U680
1	7,	8,	15,	23,	38, ...											
		1+7	7+8	8+15	15+23											
Equation of linear graphs	Plotting straight line graphs	By inputting values of x into our function, we produce corresponding values of y . These can be used to plot coordinates on our Cartesian plane.	By first completing the table of values for $y = 2x + 5$, draw the graph of $y = 2x + 5$ on a set of axes. <table><tr><td>x</td><td>-2</td><td>-1</td><td>0</td><td>1</td><td>2</td></tr><tr><td>y</td><td>1</td><td>3</td><td>5</td><td>7</td><td>9</td></tr></table> e.g. $\begin{aligned} y &= 2x + 5 \\ y &= 2 \times 2 + 5 \\ y &= 4 + 5 \\ y &= 9 \\ (2, 9) \end{aligned}$ $y = 2x + 5$	x	-2	-1	0	1	2	y	1	3	5	7	9	U741
x	-2	-1	0	1	2											
y	1	3	5	7	9											
	Finding equations of straight line graphs	Equations of lines are generally in the form $y = mx + c$, where m represents the gradient and c represents the y intercept.	Work out the equation of the straight line below. $\begin{aligned} y &= mx + c \\ m &= \frac{\text{change in } y}{\text{change in } x} \\ &= \frac{8 - 2}{4 - 0} \\ &= \frac{6}{4} \\ &= \frac{3}{2} \\ &= 1.5 \\ c &= 2 \\ y &= 1.5x + 2 \\ y &= \frac{3}{2}x + 2 \end{aligned}$	U315												

	Interpreting equations of straight line graphs	By inspection, we can compare our equation of a line with the general equation $y = mx + c$ to find the gradient and y-intercept.	The equation of a line is $y = 25x - 10$. Work out the gradient and y-intercept. $y = mx + c$ $y = 25x - 10$ gradient, $m = 25$ y-intercept, $c = -10$	U669
	Equations of parallel lines	Parallel lines share the same gradient.	Two lines are shown on the grid below.  $y = mx + c$ Line A gradient, $m = 3$ Line B gradient, $m = 3$	U377
	Finding the equation of a straight line from its gradient and a point	Inputting coordinates into the general equation of a line along with its gradient will allow us to find its y-intercept and, therefore, the overall equation for our straight line.	Work out the equation of the straight line with gradient 11 that passes through point (2, 20) $y = mx + c$ gradient, $m = 11$ (2, 20) is a point on the line $20 = 11 \times 2 + c$ $20 = 22 + c$ $-2 = c$ $y = 11x - 2$	U477
	Finding the equation of a straight line from two points on the line	You can find the gradient of a line between two points by finding the change in y over the change in x.	What is the gradient of the line shown below?  gradient, $m = \frac{\text{change in } y}{\text{change in } x}$ $= \frac{y_2 - y_1}{x_2 - x_1}$ $= \frac{33 - 3}{10 - 5}$ $= \frac{30}{5}$ $= 6$	U848